InfO(1) CUP 2018
SECOND EDITION
INTERNATIONAL ROUND

Cambridge

## Cambridge

The admission interview at the prestigious University of Cambridge consist of $\boldsymbol{N}$ tasks, numbered from 1 to $\boldsymbol{N}$. Alex is there right now, waiting to attend the interview. Takahiro Wong, who has just finished his interview, solved all the tasks. More precisely, he solved the i-th problem after $\mathbf{D}_{\mathbf{1}}$ seconds from the beginning of the interview.

Knowing the fact that he can solve the $\boldsymbol{i}$-th problem in $\mathbf{T}_{\mathbf{i}}$ seconds, Alex asks himself $\boldsymbol{M}$ questions: $\mathbf{x y}$. For every question, Alex will consider only the tasks from the interval $[\mathbf{x ; y ]}$ and he wants to know whether he can solve each of these tasks before Takahiro Wong. (Alex can solve the tasks from the interval [ $\mathrm{x} ; \mathrm{y}$ ] in any order).

For example, let's consider that Alex has to solve the tasks $\mathbf{a}$ and $\mathbf{b}$ (in this order). He will finish task $\mathbf{a}$ after $\mathbf{T}_{s}$ seconds, and task $\mathbf{b}$ after $\mathbf{T}_{a}+\mathbf{T}_{b}$ seconds. Alex will solve both problems before Takahiro Wong if $T_{s}<D_{a}$ and $T_{s}+T_{b}<D_{b}$.

Both Takahiro Wong and Alex will start their interviews at second $\mathbf{0}$.
Help Alex answer correctly to all $\boldsymbol{M}$ questions

## STANDARD INPUT

- The first line of the standard input will contain $\mathbf{N}$ and $\mathbf{M}$.
$\boldsymbol{N}$ - the number of tasks, $\boldsymbol{M}$ - the number of questions.
- On the following $N$ lines, there will be $\mathbf{T}_{1}$ and $\mathbf{D}_{\text {. }}$.
$\mathbf{T}_{\mathbf{i}}$ - the time needed for Alex to solve the $\mathbf{i}$-th problem
$\mathbf{D}_{\mathbf{i}}$ - the time (from the beginning of his interview) after Takahiro Wong will solve
the i-th problem.
- On the following $\boldsymbol{M}$ lines, there will be $\mathbf{x}$ and $\mathbf{y}$, representing the interval $[\mathbf{x} ; \mathbf{y}]$


## STANDARD OUTPUT

The standard output will contain $\boldsymbol{M}$ lines, the answers to the $\boldsymbol{M}$ questions.
The i-th line will contain:
1, if Alex cand solve all the tasks from the interval [ x ; y ] before Takahiro
Wond
0, otherwise.

## RESTRICTIONS AND SUBTASKS

- $1 \leq \mathrm{T}_{\mathrm{i}}<\mathrm{D}_{\mathrm{i}} \leq 10^{9}$
- The $\mathbf{D}_{\mathbf{i}}$ values are not distinct (there can be a value that appears multiple times)
- Alex can't solve 2 tasks in the same time, but Takahiro Wong can (The Divalues are not distinct).

Cambridge

| Subtask | Points | Restrictions |
| :---: | :---: | :---: |
| 1 | 15 points | $1 \leq \boldsymbol{N}, \boldsymbol{M} \leq 10$ |
| 2 | 25 points | $1 \leq \boldsymbol{N} * \boldsymbol{M} \leq 10^{5}$ |
| 3 | 15 points | $1 \leq \boldsymbol{N} \leq 10^{3}$ <br> $1 \leq \boldsymbol{M} \leq 10^{5}$ |
| 4 | 45 pointss | $1 \leq \boldsymbol{N}, \boldsymbol{M} \leq 10^{5}$ |

## EXEMPLE

| Standard input | Standard output |
| :--- | :--- |
| 43 | 0 |
| 1 | 10 |
| $14 \quad 18$ | 0 |
| 2 | 7 |
| 10 | 12 |
| 3 | 4 |
| 2 | 4 |
| 1 | 3 |$\quad$.

## Explanation:

The 3rd question refers to the interval [1;3]:

- There are 6 ways Alex can solve the tasks: $(1,2,3),(1,3,2),(2,1,3),(2,3,1)$, $(3,1,2),(3,2,1)$.
- If he solves the tasks in the order $(1,3,2)$, we have to fulfill the following relations:
$T_{1}<D_{1}, T_{1}+T_{3}<D_{3}$ si $T_{1}+T_{3}+T_{2}<D_{2}$. We can see that all of them are true.
- Because Alex found at least one way to solve all the problems before Takahiro Wong, the answer is 1 for the third question.

